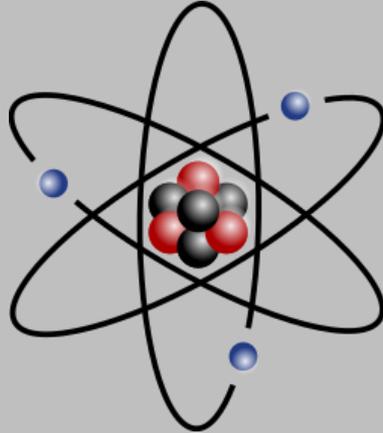




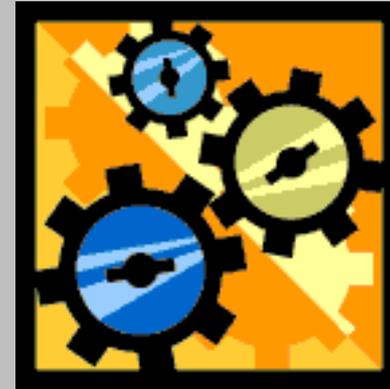
**International House Tashkent**  
**Subject: Physics**  
**Department: ES, Course 1**  
**Lesson 2. Rotary motion**





# Why rotational?

- We've focused on *translational* motion up to this point
- Rotational motion has things in common with translational motion
- Examples: spinning wheels, washing machine drum, merry-go-round, etc.



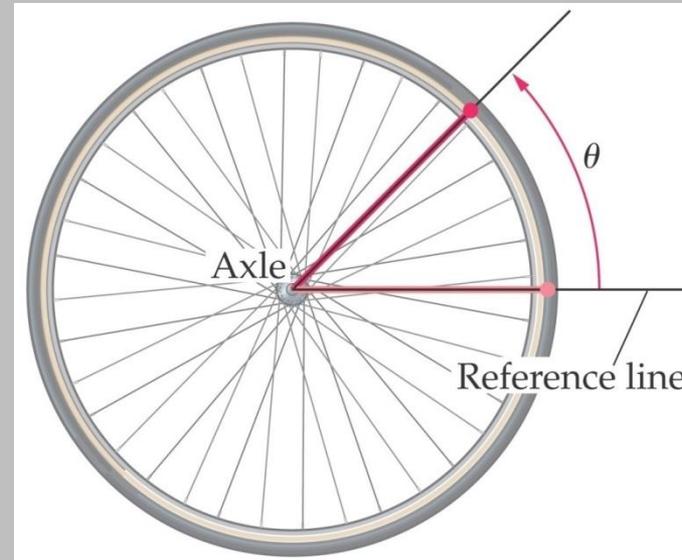
# Angular Position

## **Definition of Angular Position, $\theta$**

$\theta$  = angle measured from reference line

SI unit: radian (rad), which is dimensionless

Angular displacement is the angle (in rads) through which a point or line has been rotated about an axis





## Angular Velocity



TIAME

The rate of change of angular displacement  $\Delta\theta$  with time  $\Delta t$

**Definition of Average Angular Velocity,  $\omega_{av}$**

$$\omega_{av} = \frac{\Delta\theta}{\Delta t}$$

SI unit: radian per second (rad/s) =  $s^{-1}$



# Angular Acceleration



TIAME

The rate of change of angular  
velocity

**Definition of Average Angular Acceleration,  $\alpha_{av}$**

$$\alpha_{av} = \frac{\Delta\omega}{\Delta t} \qquad \bar{\alpha} = \frac{\omega_2 - \omega_1}{\Delta t} = \frac{\Delta\omega}{\Delta t}$$

SI unit: radian per second per second ( $\text{rad/s}^2$ ) =  $\text{s}^{-2}$

**Instantaneous  
Acceleration**

$$\alpha = \lim_{\Delta t \rightarrow 0} \frac{\Delta\omega}{\Delta t}$$



# Period

- The time it takes to complete one cycle or revolution.  
Also the reciprocal of the frequency.

## **Definition of Period, $T$**

$$T = \frac{2\pi}{\omega} \quad T = \frac{1}{f}$$

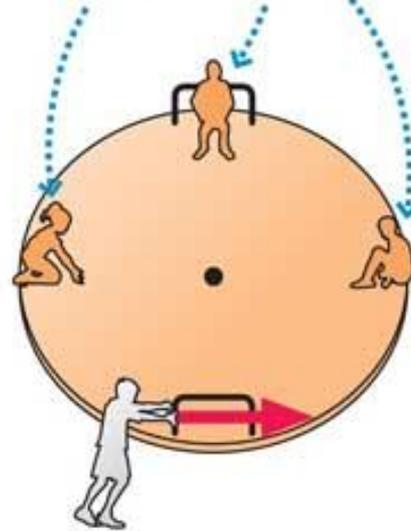
SI unit: second, s

# Moment of Inertia



- The rotational equivalent of mass
- Symbolized with letter  $I$

(a) Mass concentrated around the rim.

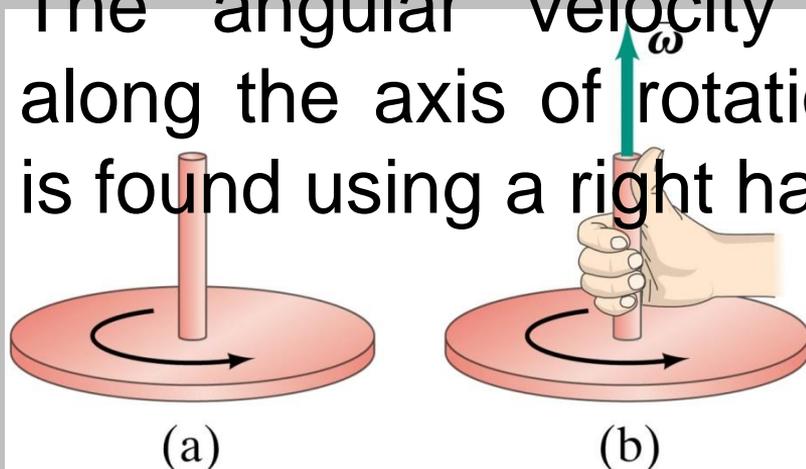


Larger moment of inertia, harder to get rotating.

# Vector Nature of Angular Quantities

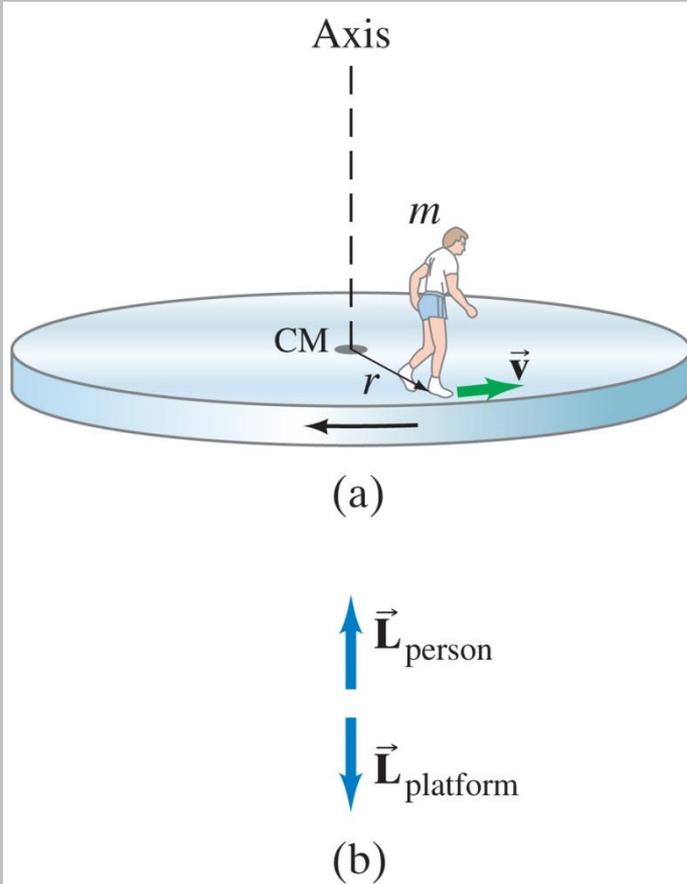
We have considered the magnitude of the angular quantities but must also define the direction!

The angular velocity **vector** points along the axis of rotation; its direction is found using a right hand rule.



1. Curl fingers around the axis in the direction of rotation
2. Thumb is pointing in direction of  $\omega$

# Vector Nature of Angular Quantities



Angular acceleration and angular momentum vectors also point along the axis of rotation.